# A 3-Phase Power Meter Based on the ADE7752 

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## INTRODUCTION

This application note describes a high accuracy, low cost 3 -phase power meter based on the ADE7752. The meter is designed for use in a Wye-connected 3-phase, 4-wire distribution system. The ADE7752 may be designed into 3 -phase meters for both 3 -wire and 4 -wire service. This reference design demonstrates the key features of an ADE7752 based meter, and is not intended for production.

The ADE7752 is a low cost single-chip solution for electrical energy measurement that surpasses the IEC 61036 Class 1 meter accuracy requirement. It typically realizes less than $0.1 \%$ error over a 500:1 current dynamic range for balanced polyphase loads. The chip contains a reference circuit, analog-to-digital converters, and all of the digital signal processing necessary for the accurate measurement of active energy. A differential output driver provides direct drive capability for an electromechanical counter, or impulse counter. A high frequency pulse output is provided for calibration. An additional logic output on the ADE7752, REVP, indicates negative active power on any phase or a possible miswiring. The ADE7752 data sheet describes the device's functionality in detail and is referenced several times in this document.

## DESIGN GOALS

Specifications for this Class 1 meter design are in accordance with the accuracy requirements of IEC 61036, and Indian Standards IS 13779-99. Tables I and II review the overall accuracy at unity power factor and at low power factor. Table I shows the specifications of the meter for both balanced loads and balanced lines. Table Il addresses balanced polyphase voltages with a single-phase load.
The meter was designed for an $\mathrm{I}_{\mathrm{MAX}}$ of $50 \mathrm{~A} /$ phase, an $\mathrm{I}_{\mathrm{b}}$ of 5 A/phase, and a 100 impulses/kWh meter constant. The ADE7752 provides a high frequency output at the CF pin. This output is used to speed the calibration process and provide a means of quickly verifying meter functionality and accuracy in a production environment. CF is 16 times F1, F2, the frequency outputs. In this case, CF is calibrated
to 1600 impulses/kWh. The meter is calibrated by varying the attenuation of the line voltage using the resistor networks on each phase. Each phase to neutral voltage is 240 V. See the Channel 2 Input Network section.

An additional specification for this meter design is taken from IS 13779-99. The specification states that the meter must work with only one phase active at $30 \%$ lower and $20 \%$ higher than the nominal line value.

Table I. Accuracy Requirements
(for a polyphase balanced load)

|  |  | Percentage Error Limits <br> Current Value <br> Accuracy |  |
| :--- | :--- | :--- | :--- |
|  | $\mathrm{PF}^{2}$ | Class 1 | Class 2 |
| $0.05 \mathrm{I}_{\mathrm{b}} \leq \mathrm{I}<0.1 \mathrm{I}_{\mathrm{b}}$ | 1 | $\pm 1.5 \%$ | $\pm 2.5 \%$ |
| $0.1 \mathrm{I}_{\mathrm{b}} \leq \mathrm{I}<\mathrm{I}_{\mathrm{MAX}}$ | 1 | $\pm 1.0 \%$ | $\pm 2.0 \%$ |
| $0.1 \mathrm{I}_{\mathrm{b}} \leq \mathrm{I}<0.2 \mathrm{I}_{\mathrm{b}}$ | 0.5 inductive | $\pm 1.5 \%$ | $\pm 2.5 \%$ |
|  | 0.8 capacitive | $\pm 1.5 \%$ |  |

## NOTES

${ }^{1}$ The current ranges for specified accuracy shown in Table l are expressed in accordance with IEC 61036, Table 15 percentage error limits, Section 4.6.1, p. 53.
${ }^{2}$ Power factor (PF) in Table I relates to the phase relationship between the fundamental voltage and current waveforms. In this case, PF can be defined as $P F=\cos (\phi)$, where $\phi$ is the phase angle between pure sinusoidal current and voltage.
${ }^{3}$ Accuracy is defined as the limits of the permissible percentage error. The percentage error is defined as:

Percentage Error $=\frac{\text { energy registered by meter-true energy }}{\text { true energy }} \times 100 \%$

Table II. Accuracy Requirements*
(for a polyphase meter with single-phase load)

|  |  | Percentage Error Limits <br> Accuracy |  |
| :--- | :--- | :---: | :--- |
| Current Value | PF | Class 1 | Class 2 |
| $0.1 \mathrm{I}_{\mathrm{b}} \leq \mathrm{I}<\mathrm{I}_{\text {MAX }}$ | 1 | $\pm 2.0 \%$ | $\pm 3.0 \%$ |
| $0.2 \mathrm{I}_{\mathrm{b}} \leq \mathrm{I}<\mathrm{I}_{\text {MAX }}$ | 0.5 inductive | $\pm 2.0 \%$ | $\pm 3.0 \%$ |

[^0]Figure 1 is a block diagram of a low cost, simple watthour meter using the ADE7752. It shows the three phases and how they are connected to the meter. Three current transformers sense the load current and convert the signals to a proportional voltage required by the ADE7752. The total energy is registered by a mechanical counter.


Figure 1. 3-Phase, 4-Wire/Wye Watthour Meter Block Diagram

## DETAILED DESCRIPTION

The front end of the meter is made up of three pairs of voltage and current input networks. Each of the three line voltages is attenuated and filtered through identical antialiasing filters. See the Channel 2 Input Network section.
The current channels' signals are converted from current to a voltage through current transformers and burden resistors. The signals are then filtered by the antialiasing filter on each of the three phases, and the result is applied to the current inputs of the ADE7752.
Each phase of the meter has a power supply associated with it. The power supply is shown in Figure 8. If power is lost in two of the three phases, the meter will continue to operate. Each phase has a corresponding LED that is on when the respective phase is active.
A calibration network is associated with each of the three line voltages. These circuits use binary-weighted resistor values connected in series to set the amount of attenuation needed for each of the three input voltages. Having $\pm 25 \%$ calibration ability to compensate for variations in the voltage reference and input filter components is recommended. See the Design Calculations section.

An opto-isolator is provided on this meter, connected to the CF pin of the ADE7752. This allows calibration of the meter while isolating the calibration equipment from the line voltages.
The instantaneous power and energy are calculated per phase, and the net active energy is accumulated as a sum of the individual phase energies inside the ADE7752. With the $\overline{\mathrm{ABS}}$ pin set low, the sum represents the absolute values of the phase energies. With the $\overline{\mathrm{ABS}}$ pin high, the ADE7752 takes into account the signs of the individual phase energies and performs a signed addition. In the meter described in this application note, $\overline{\mathrm{ABS}}$ is set high.
If negative active power is detected on any of the three phases, the REVP output LED of the ADE7752 is lit. This feature is useful to indicate meter tampering or to flag installation errors. The ADE7752 continues to accumulate energy despite the status of the REVP output pin. REVP will reset when positive power is detected again. The output of REVP and the CF pulse are synchronous. If more than one phase detects negative power, the REVP LCD remains lit until all phases detect positive power.
An LED connected to the CF output of the ADE7752 displays the energy measured in impulses/kWh. The ADE7752 data sheet describes this operation in detail. The frequency outputs, F1 and F2, are used to drive the electromechanical counter. See the Design Equations section.
This design has a startup current of 13.75 mA and a no-load threshold of 3.3 W. See the Starting Current section.

## DESIGN EQUATIONS

The ADE7752 produces an output frequency that is proportional to the summed values of the three phase energies. A detailed description of this operation is available in the ADE7752 data sheet. To calibrate the meter, the inputs to the ADE7752 must be defined based on the equation:

$$
\begin{equation*}
F 1, F 2=\frac{5.922 \times\left(V_{1} \times I_{1}+V_{2} \times I_{2}+V_{3} \times I_{3}\right) \times F_{1-7}}{V_{R E F}^{2}} \tag{2}
\end{equation*}
$$

where:
$I$ is the differential rms voltage signal on respective current channels
$V$ is the differential rms voltage signal on respective voltage channels
$V_{R E F}$ is the reference voltage ( $2.4 \mathrm{~V} \pm 8 \%$ ) ( V )
$F_{1-7}$ is one of five possible frequencies selected by using the logic inputs SCF, S0, and S1. See Table II.
The calculations for this meter design are shown in the Design Calculations section.

## ADE7752 REFERENCE

Pin 12 of the ADE7752 can be used to connect an external reference. This design does not include the optional reference circuit and uses the ADE7752 internal reference.

The on-chip reference circuit of the ADE7752 has a typical temperature coefficient of $20 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$. Refer to the ADE7752 data sheet for graphs of typical performance characteristics over temperature.

## Current Transformer Selection

The current transformer is the device used in this design for measuring load current. This sensor arrangement provides isolation because the line-to-line voltage differs by more than 498 V. Current transformers offer an advantage as current sensors because they do not contact the conductor, they handle high current and have low power consumption and low temperature shift. Figure 3 illustrates the application used in this design for each channel of the 3-phase meter. When selecting a current transformer, carefully evaluate linearity under light load. The CT performance should be better than the desired linearity of the meter over the current dynamic range.
A current transformer uses the concept of inductance to sense current. A CT is made up of a coil wound around a ferrite core. The current-carrying wire is looped through the center of this winding, which creates a magnetic field in the winding of the CT and a voltage output proportional to the current in the conducting wire. The properties that affect the performance of a given CT are the dimensions of the core, the number of turns in the winding, the diameter of the wire, the value of the load resistor, and the permeability and loss angle of the core material.
When choosing a CT, consider the dc saturation level. At some high, finite value of current or in the presence of a high dc component, the ferrite core material exhibits hysteresis behavior and the CT can saturate. Manufacturers of CTs can specify this maximum level. The current range is calculated using Equation 3.

$$
\begin{equation*}
I_{M A X} \approx \frac{\omega N_{s e c}^{2}}{R} B_{s a t} A_{F e} \tag{3}
\end{equation*}
$$

where:
$R$ is the resistance of the burden resistor and the copper wire.
$A_{F e}$ represents the dimensions of the core.
$B_{\text {sat }}$ is the value of the magnetic field at which the core material saturates.
$N_{s e c}$ is the number of turns in the CT.
CTs may also cause a phase shift of the signal. A CT used for metering should have a linear phase shift across the desired current dynamic range. The phase error for a CT is derived using Equation 4.

$$
\begin{equation*}
\tan \varphi=\frac{R}{\omega L} \cos \delta \tag{4}
\end{equation*}
$$

where:
$R$ is the resistance of the burden resistor and the copper wire.
$\delta$ represents the core losses.
$L$ is a parameter based on the permeability of the core, the dimensions of the core, and the square of the number of turns.
The phase error caused by a particular CT should be measured with and compensated for by a low-pass filter before the ADC inputs. Phase mismatch between channels will cause energy measurement errors. See the Correct Phase Matching between Channels section. Low-pass filters are already required by the ADE7752 for antialiasing, and are covered in more detail in the Antialias Filters section. The corner frequency of these antialiasing filters on the current channels can be fine tuned by changing the components in the RC circuit in order to add additional compensation for CT phase shift.

## Channel 1 Input Network

Figure 3 shows the input stage to Channel 1 of the meter. The current transformer has a turns ratio of 1500:1. The burden resistor is selected to give the proper input voltage range for the ADE7752, less than 500 mV PEAK. See the Design Calculations section. The additional components in the input network provide filtering to the current signal. The filter corner is set to 4.8 kHz for the antialias filters. See the Antialias Filters section.


Figure 2. ADE7752 Phase A - CT Wiring Diagram
The burden is center tapped so that external capacitive coupling may be reduced. The wires of the CT are twisted tightly to reduce noise.

## Channel 2 Input Network

The meter is calibrated by attenuating the line voltage down to 70 mV . See the Design Calculations section. The line voltage attenuation is carried out by a resistor divider as shown in Figure 4. Phase matching between Channel 1 and Channel 2 is important to preserve in this network. Figure 4 shows the attenuation network for the voltage inputs. All three phases have the same attenuation network. The -3 dB frequency of this network, on Phase A for example, is determined by R75 and C21 because the sum of the other resistors in the network is much greater than R75. The approximate equation is shown in Figure 3.


Figure 3. Attenuation Network
Because the ADE7752 transfer function is extremely linear, a one-point calibration ( $\mathrm{l}_{\mathrm{b}}$ ) at unity power factor is all that is needed to calibrate the meter on each phase. If the correct precautions were taken at the design stage, no calibration is necessary at low power factor ( $\mathrm{PF}=0.5$ ).

## CORRECT PHASE MATCHING BETWEEN CHANNELS

Correct phase matching is important in energy metering applications because any phase mismatch between channels will translate into significant measurement error at low power factor. The errors induced in the system at PF $=1$ are minimal. A power factor of 0.5 with a phase error of as little as $0.5^{\circ}$ will cause a $1.5 \%$ error in the power measurement. If current lags the voltage by $60^{\circ}$ ( $\mathrm{PF}=-0.5$ ) and pure sinusoidal conditions are assumed, the power is easily calculated, on a single phase, as V rms $\times I \mathrm{rms} \times \cos \left(60^{\circ}\right)$.
An additional phase error can be introduced to the overall system with the addition of antialiasing filters. Phase error ( $\phi_{e}$ ) is introduced externally to the ADE7752 (e.g., in the antialias filters). The error is calculated as

$$
\begin{equation*}
\% E r r o r=\left[\cos \left(\delta^{\circ}\right)-\cos \left(\delta+\phi_{e}\right)\right] / \cos \left(\delta^{\circ}\right) \times 100 \% \tag{5}
\end{equation*}
$$

See Note 3 for Table I, where $\delta$ is the phase angle between voltage and current and $\phi_{\mathrm{e}}$ is the external phase error.
With a phase error of $0.2^{\circ}$, for example, the error at $\mathrm{PF}=0.5$ inductive $\left(60^{\circ}\right)$ is calculated as $0.6 \%$. As this example demonstrates, even a very small phase error will produce a large measurement error at low power factor.
Currenttransformers often produce a phase shift between the current and voltage channels. To reduce the error caused at low power factor, the resistors in the antialias filter can be modified to shift the corner frequency of the filter (in the current channel), introducing more or less lag. The antialias filters are described in detail in the next section.

The phase error should be measured independently on each phase ( $A, B$, and $C$ ). To calibrate the phase error on one phase of the meter, a two-point measurement
is required. The first measurement should be at the test current, $I_{b}$, with unity power factor and the second at low power factor ( 0.5 capacitive). The measurement error is processed according to the following equation:

$$
\begin{equation*}
\text { Error }=\frac{C F_{P F=0.5}-\frac{C F_{P F=1}}{2}}{\frac{C F_{P F=1}}{2}} \tag{6}
\end{equation*}
$$

The phase error is then:

$$
\begin{equation*}
\text { Phase Error }=-\arcsin \frac{\text { Error }}{\sqrt{3}} \tag{7}
\end{equation*}
$$

For a single-pole RC low-pass filter, the phase lag is:

$$
\begin{equation*}
\theta=-\arctan (2 \pi f \times R C) \tag{8}
\end{equation*}
$$

For example, if the antialias filters are single-pole lowpass filters with $R=1 \mathrm{k} \Omega$ and $\mathrm{C}=33 \mathrm{nF}$, the phase lag at 50 Hz is $0.59^{\circ}$ according to Equation 8. If the measurements performed with this filter in place on the current and voltage phases show that the CT causes $1^{\circ}$ phase error (using Equations 6 and 7), then the resistor value should be $2.68 \mathrm{k} \Omega$ to give $1.59^{\circ}$ total phase shift. Because there is generally minimal part-to-part variation for CTs, the same filters usually can be used in production on all three phases to compensate for the constant phase error.

## ANTIALIAS FILTERS

As mentioned in the previous section, one possible source of external phase errors is the antialias filters on the input channels. The antialias filters are low-pass filters placed before the analog inputs of any ADC. They are required to prevent aliasing, a possible distortion due to sampling. Figure 4 illustrates the effects of aliasing.


Figure 4. Aliasing Effects
Figure 4 shows how aliasing effects could introduce inaccuracies in an ADE7752 based meter design. The ADE7752 uses two $\Sigma-\Delta$ ADCs to digitize the voltage and current signals for each phase. These ADCs have a very high sampling rate, i.e., 833 kHz. Figure 4 shows how frequency components (indicated by the darker arrows) above half the sampling frequency (also known as the Nyquist frequency), i.e., 417 kHz, get imaged or folded back down below 417 kHz (indicated by the gray arrows). This will happen with all ADCs, regardless of the architecture.

In the example shown, only frequencies near the sampling frequency, i.e., 833 kHz , will move into the band of interest for metering ( 0 kHz to 2 kHz ). This fact allows the use of a very simple LPF (low-pass filter) to attenuate these high frequencies (near 833 kHz ) and thus prevent distortion in the band of interest. The simplest form of LPF is the simple RC filter, which has a single pole with a roll off or attenuation of $-20 \mathrm{dBs} /$ decade.

## Choosing the Filter -3 dB Frequency

In addition to having a magnitude response, filters also have a phase response. The magnitude and phase response of a simple RC filter ( $\mathrm{R}=1 \mathrm{k} \Omega, \mathrm{C}=33 \mathrm{nF}$ ) are shown in Figures 5 and 6 . Figure 5 shows that the attenuation near 900 kHz for this simple LPF is greater than 40 dBs . This is sufficient attenuation to ensure that no ill effects are caused by aliasing.


Figure 5. RC Filter Magnitude Response
The phase response can introduce significant errors if the phase response of the LPFs on both current and voltage channels are not matched. This is true for all of the phases in which the desired $\left(120^{\circ}\right)$ phase shift between phases should be preserved. Phase mismatch can easily occur as a result of poor component tolerances in the LPF. The lower the -3 dB frequency in the LPF (antialias filter), the more pronounced these errors will be at the fundamental frequency component or line frequency. Even with the corner frequency set at $4.8 \mathrm{kHz}(\mathrm{R}=1 \mathrm{k} \Omega, \mathrm{C}=33 \mathrm{nF})$, the phase errors due to poor component tolerances can be significant. Figure 7 illustrates this point.
In Figure 6, the phase response for the simple LPF is shown at 50 Hz for $\mathrm{R}=1 \mathrm{k} \Omega \pm 10 \%, \mathrm{C}=33 \mathrm{nF} \pm 10 \%$. Remember, a phase shift of $0.2^{\circ}$ can cause measurement errors of $0.6 \%$ at low power factor. This design uses resistors of $1 \%$ tolerance and capacitors of $10 \%$ tolerance for the antialias filters to reduce the likelihood of problems resulting from phase mismatch. Alternatively, the corner frequency of the antialias filter could be pushed out to 10 kHz to 15 Hz . The corner frequency should not be made too high, however, because doing so could allow high
frequency components to be aliased and cause accuracy problems in a noisy environment.


Figure 6. RC Filter Phase Response


Figure 7. Phase Shift at 50 Hz Due to Component Tolerances

Note that this risk is also why precautions were taken with the design of the calibration network on the voltage channels. The tolerance of the components used in these networks is low to prevent errors.

## CALIBRATING THE METER

The meter is calibrated by setting the appropriate value to the S1 and S0 pins and by varying the gains of the voltage channels. The current channels are fixed by the turns ration of the CT and the burden resistor.

To ensure the proper output frequency, the meter is calibrated using CF. The gains of the voltage channels are varied to ensure that the product of the current and voltage channels (active energy) is calibrated to 1600 impulses/kWh. The voltage channel uses a resistor divider network to adjust the attenuation. The setup of this network is described in the Channel 2 Input Network and Design Calculations sections.

## DESIGN CALCULATIONS

The goal of the design calculations is to achieve appropriate input signal levels for the Channel 1 and Channel 2 ADCs. Each channel requires a voltage input less than 500 mV PEAK. The input levels should be set up so that the full dynamic range of current results in a frequency output on F1, F2 that will drive the stepper motor counter.
The frequency outputs can be calculated using Equation 1 set equal to the maximum output frequency, which corresponds to the nominal line voltage and maximum current. To use Equation 9 for calculating the Channel 2 input level, fix the Channel 1 input level to some percentage of full scale and choose an appropriate $F_{1-7}$ value from the ADE7752 data sheet. This $F_{1-7}$ value should allow the voltage input to be less than 500 mV PEAK.
Since the current channel requires a voltage input, a burden resistor is used to yield the calculated input level. The line voltage must be trimmed with a resistor network to the appropriate ADC input level.

## Calculate F1, F2, and CF

The frequency for F1 and F2 can be calculated using Equation 9.

$$
\begin{equation*}
F 1, F 2=\frac{5.922 \times\left(V_{1} \times I_{1}+V_{2} \times I_{2}+V_{3} \times I_{3}\right) \times F_{1-7}}{V_{R E F}^{2}} \tag{9}
\end{equation*}
$$

Design parameters:
Line voltage $=240 \mathrm{~V}_{\mathrm{rms}}$ (each phase to neutral)
$\mathrm{V}_{\mathrm{MAX}}=240 \mathrm{~V} \mathrm{rms}+20 \%=288 \mathrm{~V}$ rms
Class 100 meter with $\mathrm{I}_{\mathrm{MAX}}=50 \mathrm{~A}$ rms
Meter constant $=100$ impulses $/ \mathrm{kWh}$
CF $=1600$ impulses $/ \mathrm{kWh}$
CT turns ratio $\left(C T_{\text {TRN }}\right)=1500: 1$
There are 10 different choices of frequency output through SCF, S1, and S0 pins. To choose the proper frequency, the maximum F1, F2 frequency output using the line voltage and $\mathrm{I}_{\text {MAX }}$ must be calculated. For three phases at maximum power, where
POWER $_{\text {MAX }}=3 \times 50 \mathrm{Arms} \times 240 \mathrm{~V}$ rms $=36 \mathrm{~kW}$
F1, F2 ${ }_{\text {MAX }}=100$ impulses/kWh $\times 36 \mathrm{~kW}=3600$ impulses $/ \mathrm{H}$

$$
=3600 \text { impulses } / \mathrm{H} \times 1 \mathrm{H} / 3600 \mathrm{~S}=1 \mathrm{~Hz}
$$

At maximum current, the input signal at the current channel should be some fraction of full scale to allow headroom. Equation 1 can be used to choose an H frequency by fixing the current input to be $60 \%$ of full scale rms, 215 mV rms.

$$
\begin{equation*}
1 \mathrm{~Hz}=\frac{5.922 \times 3 \times(\mathrm{V} \times 0.215) \times \mathrm{F}_{1-7}}{(2.4)^{2}} \tag{10}
\end{equation*}
$$

Choose $\mathrm{F}_{1-7}$ from Table III. The expression can be evaluated to find the corresponding input voltage. In this case, $\mathrm{F}_{1-7}$ is 4.77 , so $\mathrm{V}=0.105 \mathrm{~V}$. Other values for $\mathrm{F}_{1-7}$ do not yield reasonable results for the voltage, i.e. some fraction of full scale rms input to allow for headroom; 105 mV is $30 \%$ of the full scale rms voltage input. The following calculation demonstrates that sufficient headroom is achieved if the voltage input that results with the maximum line voltage ( 288 V rms from the IS Specification) is below the full scale ADC input level ( $500 \mathrm{~V}_{\text {PEAK }}$ or 353 V rms). For three phases at maximum power, where

$$
\text { POWER }_{\mathrm{MAX}}=3 \times 50 \mathrm{~A}_{\mathrm{rms}} \times 288 \mathrm{~V} \mathrm{rms}=43.2 \mathrm{~kW}
$$

$$
\text { F1, F2 } \mathrm{MAX}=100 \text { impulses } / \mathrm{kWh} \times 43.2 \mathrm{~kW}=4320 \text { impulses } / \mathrm{H}
$$

$$
=4320 \text { impulses } / \mathrm{H} \times 1 \mathrm{H} / 3600 \mathrm{~S}=1.2 \mathrm{~Hz}
$$

Plugging 1.2 Hz into Equation 9 and solving for the voltage with $F_{1-7}=4.77$, as done in the previous calculation, the voltage input is 126 mV . This value is $36 \%$ of the full-scale rms voltage input. With $F_{1-7}$ of 4.77 selected, sufficient headroom has been achieved.

Max F1/F2 is chosen as 1.83 Hz with $\mathrm{S} 1=0$ and $\mathrm{S} 0=1$. Table III in the ADE7752 data sheet shows the choices for Max F1/F2.
The desired CF in this case is 1600 impulses/kWh. Knowing that CF $=\mathrm{k} \times \mathrm{F} 1, \mathrm{~F} 2=1600$ impulses $/ \mathrm{kWh}=16 \times 100$ impulses/kWh; SCF is chosen to be 1 so that the meter constant is 16 times that of the stepper motor ratio.

Table III. $\mathrm{F}_{1-7}$ Frequency Selections and Max Output Frequency

| SCF | S1 | S0 | $\mathbf{F}_{1-7}$ | Max F1/F2 <br> $(\mathbf{H z})$ | Max CF <br> $(H z)$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 1.27 | 0.49 | 78.19 |
| 1 | 0 | 0 | 1.19 | 0.46 | 3.66 |
| 0 | 0 | 1 | 5.09 | 1.95 | 312.77 |
| 1 | 0 | 1 | 4.77 | 1.83 | 29.32 |
| 0 | 1 | 0 | 19.07 | 7.33 | 117.30 |
| 1 | 1 | 0 | 19.07 | 7.33 | 58.65 |
| 0 | 1 | 1 | 76.29 | 29.32 | 234.59 |
| 1 | 1 | 1 | 0.60 | 0.23 | 3.67 |

## Calculate RBURDEN

At maximum current, the voltage input signal at the current channel is:
$\mathrm{I}_{\text {RMS }} / \mathrm{CT}_{\text {TRN }}=50 \mathrm{~A} \mathrm{rms} / 1500=33.33 \mathrm{~mA} \mathrm{rms}$
$\mathrm{V}_{\mathrm{IN}}=500 \mathrm{~m} \mathrm{~V}_{\text {PEAK }}$ or $353.6 \mathrm{mV} \mathrm{rms} ; 60 \% \mathrm{~V} \mathrm{rms}=215 \mathrm{mV} \mathrm{rms}$
$R_{\text {BURDEN }}=215 \mathrm{mV} \mathrm{rms} / 33.33 \mathrm{~mA} \mathrm{rms}=6.45 \Omega$
Since the input signal is differential for each channel, the burden resistor is split in two to yield $3.23 \Omega \times 2$.

## Calculate Attenuation Network

Each phase will have the same attenuation network. From Equation 9, V $=105 \mathrm{mV}$ rms. The line voltage of 240 V must be trimmed to this value. The attenuation network is calculated to be $240 \mathrm{~V} / 105 \mathrm{mV}$ or an attenuation of 2285:1.

## POWER SUPPLY DESIGN

The IEC 61036 specification requires the meter to have a mean power consumption of 2 W or 10 VA for a polyphase meter. The IS specification for the power supply is 1 W per voltage channel. Another key specification that relates to power supply design requires the power supply to operate with only one phase active at $70 \%$ of nominal. The line voltage may vary from $-30 \%$ to $+20 \%$, in accordance with the Indian standard.

The current drawn from the power supply at the regulator, VR1, output with no load is 9.75 mA . When the stepper motor engages (with a 10 A load applied), the current draw increases by 15 mA . The result is approximately 25 mA of current draw at 5 V . This is equivalent to 0.125 W of peak power consumption. The current draw of one phase of the meter is 10 mA , measured at the line input. At 240 V with all three phases running, the total power consumption of this design is 7.2 VA.
Since the line voltage varies from 168 V to 288 V , a power supply that will work over this extended range is needed. This design uses a power supply based on three power
transformers that transfer power rather than current or voltage. For this reason, as the line voltage decreases, the current increases, keeping the power used by the supply constant. Figure 8 shows a diagram of the power supply circuit.
The supplies for this meter are three full wave rectified supplies connected in parallel through diodes. The output of this circuit is then filtered and regulated to 5 V .

The MOV-Ferrite bead at the input to the power supply is used to minimize the effect of electrical fast transients. Large differential signals may be generated by the inductance of the PCB traces and signal ground. These large signals may affect the operation of the meter. The analog sections of the meter will filter the differential signal and minimize the effect on the duration of the pulse.

The ferrite and capacitor create a low-pass filter before the MOV. In an EFT event, this ensures protection during the small time it takes for the MOV to turn on. For more information concerning this issue, see Application Note AN-559.
An LED on each phase of the power supply indicates the status of power on that phase. Blocking diodes prevent the LED from lighting when the voltage to the phase is shorted. Without this diode, current flow from the other phases could light the indicator LED. At the output of the regulator, C12 and C2 filter ripple that could degrade the performance of the power supply.


Figure 8. Power Supply

## STARTING CURRENT

The no-load threshold and start-up current features of the ADE7752 eliminate creep effects in the meter. A load that generates a frequency lower than the minimum frequency will not result in a pulse on F1, F2, or CF. The minimum output frequency is defined in the ADE7752 as $0.005 \%$ of the full-scale output frequency (F1, F2) for the $\mathrm{F}_{1-7}$ selection. For this meter, the minimum output frequency on F1, F2 is $9.15 \times 10^{-5} \mathrm{~Hz}$, and the meter constant is 100 impulses/kWh.
(100 impulses/kWh)(1 H/3600)(P) $=9.15 \times 10^{-5} \mathrm{~Hz}$
The minimum load then becomes 3.3 W , which translates to 13.75 mA of startup current at 240 V .
The IEC specification for the no-load threshold, Section 5.6.4, states that the meter should not register a pulse for a specified time with the voltage at $115 \% \mathrm{~V}_{\text {REF }}$ and open circuit current. The no-load threshold described above for the ADE7752 ensures compliance with this specification.
The IEC specification, section 4.6.4.3, for start-up current is $0.4 \%$ of $\mathrm{I}_{\mathrm{b}}$, or 40 mA with an $\mathrm{I}_{\mathrm{b}}=10 \mathrm{~A}$. According to the specification, the meter must start and continue to register current at this level. The design of the meter described in this application note meets this specification by starting up at 13.75 mA , as calculated.

## ADE7752 REFERENCE DESIGN PERFORMANCE

This reference design surpasses the IEC 61036 Class 1 accuracy requirements, as outlined in Section 4.6.1 of the IEC 61036 standard. The typical performance plots shown demonstrate the performance of this reference design against the IEC accuracy limit. Voltage and frequency variation tests were performed according to Section 4.6.2 of the IEC 61036 standard.


Figure 9. Final Implementation of ADE7752 Reference Design


TPC 1. Balanced Polyphase Load with Unity Power Factor


TPC 2. Balanced Polyphase Load over Power Factor


TPC 3. Unbalanced Load with Unity Power Factor


TPC 4. Unbalanced Load over Power Factor


TPC 5. Voltage Variation $\pm 10 \%$ from 240 V with Unity Power Factor


TPC 6. Voltage Variation $\pm 10 \%$ from 240 V with Power Faction = 0.5 Inductive


TPC 7. Frequency Variation $\pm 2 \%$ from 50 Hz with Unity Power Factor


TPC 8. Frequency Variation $\pm 2 \%$ from 50 Hz with Power Factor $=0.5$ Inductive


TPC 9. Indian Standard Voltage Variation $+20 \%$ and $-30 \%$ from 240 V with Unity Power Factor


TPC 10. Indian Standard Voltage Variation $+20 \%$ and $-30 \%$ from 240 V with Power Factor $=0.5$ Inductive


Figure 10. Reference Design Schematic


Figure 11. Reference Design Component Placement


Figure 12. Reference Design PCB Layout
IV. Bill of Materials

| \# QTY | REFDES | Device | Package | Value |
| :---: | :---: | :---: | :---: | :---: |
| 1 | C1 | CAPC080 | C0805 | $1 \mu \mathrm{~F}, 16 \mathrm{~V}$ |
| 1 | C2 | C-D7343 | DCASE | $10 \mu \mathrm{~F}, 6.3 \mathrm{~V}$ |
| 1 | C3 | CAPC3216 | C3216 | $10 \mu \mathrm{~F}, 250 \mathrm{~V}$ |
| 2 | C4, C5 | CAPC1206 | C1206 | $22 \mathrm{pF}, 50 \mathrm{~V}$ |
| 5 | $\begin{aligned} & \mathrm{C} 6, \mathrm{C} 7, \mathrm{C} 8, \mathrm{C} 9 \text {, } \\ & \mathrm{C} 10 \end{aligned}$ | CAPC1206 | C1206 | $0.1 \mu \mathrm{~F}, 50 \mathrm{~V}$ |
| 3 | C11, C25, C26 | CAP |  | $470 \mu \mathrm{~F}, 25 \mathrm{~V}$ |
| 1 | C12 | CAPC1206 | C1206 | $0.01 \mu F, 50 \mathrm{~V}$ |
| 9 | $\begin{aligned} & \text { C13, C14, C15, } \\ & \text { C16, C17, C18, } \\ & \text { C19, C20, C21 } \end{aligned}$ | CAPC1210 | C1210 | $0.056 \mu \mathrm{~F}, 16 \mathrm{~V}$ |
| 3 | C22, C23, C24 | CRAD1024 | L433 | $0.01 \mu \mathrm{~F}, 250 \mathrm{~V}$ |
| 3 | CR1, CR2, CR6, CR7, CR8 | LED |  | RED |
| 3 | CR3, CR4, CR5 | DIODE RECT | DF045 |  |
| 3 | CR9, CR10, CR11 | DIODE SGNL | 1N4148 |  |
| 1 | L1, L2, L3, L4 | FERRITE BEAD | 1806 | 150 MHz |
| 3 | R4, R11 | RESR1206 | R1206 | $825 \Omega$ |
| 1 | R12 | RESR1206 | R1206 | $1.02 \mathrm{k} \Omega$ |
| 12 | R13, R14, R15, <br> R16, R17, R18, <br> R19, R36, R54, <br> R55, R75, R76 | RESR1206 | R1206 | $590 \Omega$ |
| 3 | R20, R45, R66 | RESR1206 | R1206 | $200 \mathrm{k} \Omega$ |
| 3 | R21, R47, R68 | RESR1206 | R1206 | $100 \mathrm{k} \Omega$ |
| 3 | R22, R49, R70 | RESR1206 | R1206 | $49.9 \mathrm{k} \Omega$ |
| 3 | R23, R58, R79 | RESR1206 | R1206 | $25.5 \mathrm{k} \Omega$ |
| 3 | R24, R52, R73 | RESR1206 | R1206 | $11.5 \mathrm{k} \Omega$ |
| 3 | R25, R59, R80 | RESR1206 | R1206 | $909 \mathrm{k} \Omega$ |
| 3 | R26, R60, R81 | RESR1206 | R1206 | $1 \mathrm{M} \Omega$ |
| 3 | R33, R57, R78 | RESR1206 | R1206 | $5.11 \mathrm{k} \Omega$ |
| 3 | R34, R44, R65 | RESR1206 | R1206 | $2.32 \mathrm{k} \Omega$ |
| 3 | R35, R43, R64 | RESR1206 | R1206 | $1.18 \mathrm{k} \Omega$ |
| 6 | R82, R83, R87, <br> R88, R89, R90 | RESR1206 | R1206 | $2.2 \Omega$ |


| \# QTY | REFDES | Device | Package | Value |
| :---: | :---: | :---: | :---: | :---: |
| 38 | R3, R5, R6, R7, R8, R9, R10, R92, R27, R28, R29, R30, R31, R32, R37, R38, R39, R40, R41, R42, R46, R48, R50, R51, R53, R56, R61, R62, R63, R67, R69, R71, R72, R74, R77, | RESR1206 | R1206 | 0 |
| 3 3 | R84, R85, R86 T3, T4, T5 | RESR1206 <br> Transformer | R1206 | $\begin{aligned} & 1.18 \mathrm{k} \Omega \\ & \text { VAL } \end{aligned}$ |
| 12 | TP1, TP2, TP3, <br> TP4, TP5, TP6, <br> TP7, TP8, TP9, <br> TP10, TP11, TP12 | Connector | CNLOOPTP | ORG |
| 2 | TP13, TP14 | Connector | CNLOOPTP | VAL |
| 1 | U1 | NECP52501-1 | DIP04 | PS2501-1 |
| 1 | U2 | AD7752 | SO24 | VAL |
| 3 | V1, V2, V3 | MOV |  |  |
| 1 | VR1 | UA78L05AILP | TO-226AA | UA78L05AI |
| 1 | Y1 | XTALHC49 | HC49 | 10 MHz |
| 3 | CT | Current Transformer |  |  |
| 1 | PCB |  |  |  |
| 1 | CASE |  |  |  |


[^0]:    *Accuracy class for unbalanced load as defined in IEC 61036, Table 13, Section 4.6.1, p. 53, Edition 2.1.

